# Quantifying secondary pest outbreaks in cotton and their monetary cost with causal-inference statistics

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Abstract. Secondary pest outbreaks occur when the use of a pesticide to reduce densities of an unwanted target pest species triggers subsequent outbreaks of other pest species. Although secondary pest outbreaks are thought to be familiar in agriculture, their rigorous documentation is made difficult by the challenges of performing randomized experiments at suitable scales. Here, we quantify the frequency and monetary cost of secondary pest outbreaks elicited by early-season applications of broad-spectrum insecticides to control the plant bug Lygus spp. (primarily L. hesperus) in cotton grown in the San Joaquin Valley, California, USA. We do so by analyzing pest-control management practices for 969 cotton fields spanning nine years and 11 private ranches. Our analysis uses statistical methods to draw formal causal inferences from nonexperimental data that have become popular in public health and economics, but that are not yet widely known in ecology or agriculture. We find that, in fields that received an early-season broad-spectrum insecticide treatment for Lygus,  $20.2\% \pm 4.4\%$  (mean  $\pm$  SE) of late-season pesticide costs were attributable to secondary pest outbreaks elicited by the early-season insecticide application for Lygus. In 2010 U.S. dollars, this equates to an additional  $6.00 \pm 1.30$  (mean  $\pm$  SE) per acre in management costs. To the extent that secondary pest outbreaks may be driven by eliminating pests' natural enemies, these figures place a lower bound on the monetary value of ecosystem services provided by native communities of arthropod predators and parasitoids in this agricultural system.

Key words: causal inference; cotton; ecosystem services; indirect effects; integrated pest management; Lygus spp.; potential outcomes; San Joaquin Valley, California, USA; secondary pest outbreak.

# INTRODUCTION

Secondary pest outbreaks, in which the use of a pesticide to reduce densities of an unwanted target pest species triggers subsequent outbreaks of other pest species, are a well-known phenomenon in agriculture (Ripper 1956, Hardin et al. 1995, Dutcher 2007). Several mechanisms can drive secondary pest outbreaks, including reduction of natural enemies that suppress densities of non-target pests, physiological changes in the plant or non-target species (hormoligosis), and reductions in competing arthropod species (Ripper 1956, White 1984, Hardin et al. 1995). Secondary pest outbreaks can be detrimental to the welfare of the farmer, as they may reduce profit by reducing yield and by necessitating costly additional pesticide applications (Horton et al. 2005, Dutcher 2007). Secondary pest outbreaks are also of interest from the perspective of "ecosystem services," because quantifying the loss in profit attributable to secondary pest outbreaks may arguably provide a lower bound on the monetary value of the regulation of

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economically injurious pest species provided by communities of natural enemies.

While the existence of secondary pest outbreaks is uncontroversial, rigorous documentation of secondary pest outbreaks is difficult (Hardin et al. 1995, Dutcher 2007). Experimental demonstration of secondary pest outbreaks is often stymied by considerations of scale, because well-replicated, controlled experiments are often (but not always) infeasible at the spatial and temporal scales at which the ecological mechanisms driving or preventing secondary pest outbreaks operate. Consequently, most evidence for secondary pest outbreaks comes from so-called "observational data" collected outside an experimental framework. With traditional analyses, observational data do not provide the conclusive evidence for causation that experimental data allow.

This article investigates secondary pest outbreaks elicited by management for the plant bug *Lygus* spp. in cotton grown in the San Joaquin Valley of California, USA. *Lygus* is a key pest of cotton in California and throughout the southwestern United States (Leigh et al. 1988, Leigh and Goodell 1996). Management of *Lygus* in cotton is thought to provide a prime candidate for secondary pest outbreaks, because cotton harbors a rich community of arthropod herbivores and natural enemies, and because, until very recently, only nonselective, broad-spectrum pesticides have been available for *Lygus*  October 2011

control (Rao et al. 2003, Dutcher 2007). Indeed, some of the most convincing experimental demonstrations of secondary pest outbreaks that do exist come from early studies of *Lygus* control in California cotton, where repeated and heavy applications of broad-spectrum insecticides to control *Lygus* elicited outbreaks of armyworms and other lepidopteran larvae (Falcon et al. 1968, 1971; Eveleens et al. 1973). More recently, informal observations have suggested suggest that, under contemporary management practices, early-season insecticide applications to control *Lygus* can also trigger secondary pest outbreaks of other herbivorous arthropods such as spider mites (*Tetranychus* spp.) (University of California 1996).

Here, we investigate secondary pest outbreaks in California cotton with an "ecoinformatics" approach. With the generous cooperation of four professional pestcontrol advisors we have assembled data detailing management practices in cotton fields operated by 11 different ranches from 1997 through 2008. We have assembled these data in hopes that the breadth of management strategies that they span will allow us to measure agriculturally meaningful effects at scales that are pertinent to contemporary agriculture. We analyze these data for secondary pest outbreaks using statistical methods for causal inference from observational data that have been developed in the context of public health and economics. To our knowledge, these causal-inference methods have not yet penetrated the ecological or agricultural literature (Plowright et al. 2008).

Thus, this paper has two primary goals. Our first goal is to determine if secondary pest outbreaks are caused by the application of contemporary broad-spectrum insecticides for Lygus pests in California cotton, and, if so, to quantify the monetary cost of managing those outbreaks. Our second goal is to introduce statistical methods for causal inference from observational data that are not yet widely known among ecologists. The remainder of this paper is structured as follows. We first introduce the Lygus-cotton system in more depth, and provide details about the data that we have assembled. We then provide a brief introduction to causal-inference statistics, and offer citations for further reading. We then use these causal-inference methods to estimate the effect of early-season insecticide treatment for Lygus on the number and cost of late-season insecticide applications for non-Lygus pests. Readers uninterested in the causal-inference framework may bypass the mathematical sections without loss.

#### LYGUS IN COTTON

## Introduction to the system

Cotton pest management in California's San Joaquin Valley is predicated upon the judicious and sparing use of pesticides so as to maximize the pest management services contributed by an abundant and diverse community of natural enemies (University of California 1996). The primary threats to cotton production due to herbivorous arthropods change over the course of the growing season. Lygus spp., predominantly L. hesperus Knight (Hemiptera: Miridae) but also occasionally L. elisus Van Duzee (Hemiptera: Miridae), damage cotton by feeding on young flower buds, potentially eliciting their abscission. This damage is of most concern early during the reproductive phase of cotton's growth (late May through June), when cotton's ability to compensate for loss of flower buds appears to be particularly weak (J. A. Rosenheim, unpublished data; see also Musser et al. [2009] for a parallel result). Because this window of crop sensitivity to Lygus is relatively brief, a single application of insecticides often suffices to suppress Lygus below damaging levels until the plant attains a developmental stage with enhanced capacity to compensate for loss of flower buds. L. hesperus and L. elisus are usually not distinguished in pest management.

Later during the growing season other pests can become more significant. Spider mites (Tetranychus spp. Dufour [Acari: Tetranychidae]) are especially important during the hottest months (July, August), when their populations can grow explosively. Armyworms (mostly Spodoptera exigua [Hübner] [Lepidoptera: Noctuidae]) and other lepidopteran larvae are also more likely to emerge as pests late in the growing season (July, August). Aphids (Aphis gossypii Glover [Hemiptera: Aphididae]) are primarily a concern late during the growing season as well (September-October), because their populations grow most rapidly under cooler fall temperatures and because their excreta ("honeydew") can contaminate cotton lint, which is exposed once mature cotton fruits ("bolls") start to open as harvest approaches.

Spider mite, armyworm, and cotton aphid populations are potentially regulated by a diverse community of natural enemies in cotton fields. Generalist predators, including Orius spp. Wolff (Hemiptera: Anthocoridae), Geocoris spp. Fallen (Hemiptera: Lygaeidae), Nabis spp. Latreille (Hemiptera: Nabidae), Zelus spp. Fabr. (Hemiptera: Reduviidae), a complex of ladybeetles (family Coccinellidae), and a complex of common green lacewings (family Chrysopidae) are consumers of each of these herbivores. In addition, each herbivore has a complex of more specialized predatory and parasitic exploiters: spider mites are attacked by specialist predators, including Frankliniella occidentalis (Pergande) (Thysanoptera: Thripidae), Scolothrips sexmaculatus (Pergande) (Thysanoptera: Thripidae), and a complex of predatory mites (family Phytoseiidae); armyworms are attacked by a complex of hymenopteran parasitoids; and aphids are attacked by the parasitoid Lysiphlebus testaceipes (Cresson) (Hymenoptera: Braconidae) and a complex of predatory hover flies (family Syrphidae) and midges (family Cecidomyiidae) (van den Bosch and Hagen 1966, University of California 1996). The use of broad-spectrum insecticides to control early-season Lygus populations may impose

mortality on any or all members of this diverse community of natural enemies.

## Database assembly

We compiled data from four pest-control advisors (PCAs) who manage cotton for private ranchers in California's San Joaquin Valley. Each PCA provided data for 1–4 unique ranches and 5–10 years. Overall, our data span 11 ranches, and for each ranch we have data for some subset of the years from 1997–2008.

Our data consist of scouts' reports, pesticide applications, including all insecticides and acaricides, targets for each pesticide application, and yields for multiple fields at each ranch. (Here and throughout, we use the term field to refer to a single-year's planting on a physical parcel of land, not as the land itself.) Scouting data typically include weekly or twice-a-week counts of the average number of Lygus individuals captured in multiple standard sweep-net samples (50 sweeps). Some PCAs also measured loss of cotton squares (flower buds) due to shedding. Pests other than Lygus were not routinely sampled. We calculated the monetary cost of each late-season pesticide application for secondary pests by adding the price of the pesticide and standard application costs, using cost data from early 2010. Detailed methods for our cost calculations appear in Appendix A.

Because our data do not include secondary pest densities, we use the number of late-season pesticide applications for secondary pests as a proxy for secondary pest outbreaks. Instead of attempting to estimate the effects of broad-spectrum insecticide applications throughout the growing season, we simplified the analysis by partitioning the growing season into early and late phases, using 1 July as the first day of the "late" growing season. We chose 1 July as our separation point because cotton is most vulnerable to yield loss from Lygus herbivory from planting through June, and hence it is during this period when farmers may need to suppress Lygus populations aggressively. Thus, we will specifically ask how insecticide application for Lygus before 1 July affects the number of pesticide applications for non-Lygus pests after 1 July.

Late in our study period some fields were treated with the *Lygus*-selective insecticide flonicamid, which suppresses populations of *Lygus* and cotton aphids, but has few effects on beneficial insects. Because flonicamid is not expected to impact native arthropod communities as severely as broad-spectrum insecticides, fields treated with flonicamid were excluded from the analysis.

## CAUSAL INFERENCE FOR OBSERVATIONAL DATA

In this section we introduce the statistical methods for drawing formal causal inferences from observational data. Causal-inference methods have become popular in scientific disciplines that study human welfare—namely, public health (Little and Rubin 2000) and economics (Imbens and Wooldridge 2009, Gangl 2010)—where it is unfeasible, unethical, or impractical to subject human subjects to randomized, controlled experiments. Because causal-inference methods are relatively unknown in the natural sciences, we provide a basic introduction to the underlying logic here. Of course, causal-inference methodology extends far beyond the material presented below. Readers interested in a deeper exposition of causal-inference methods may consult Imbens and Wooldridge (2009) and Gangl (2010); we find the former to be particularly readable yet comprehensive.

#### Potential outcomes and treatment effects

We adopt the perspective of defining causal effects via potential outcomes (also referred to as "counterfactuals"; Rubin 2005), and consider only the simple case of estimating a causal effect with a binary treatment and a single outcome. This scenario is illustrated in Table 1. Consider estimating the causal effect of applying an early-season broad-spectrum insecticide for Lygus (the treatment) on the number of late-season insecticide applications for secondary pests (the response). In notation, let  $A \in \{0, 1\}$  denote the treatment, with A = 1 indicating early-season insecticide application for Lygus and A = 0 indicating no such insecticide application. Let Y denote the response. Now envision the value of Y that would result if a field receives treatment A = 0, and the value that would result if the field receives treatment A = 1. Denote these so-called potential outcomes as  $Y^{\star}(0)$  and  $Y^{\star}(1)$ , respectively. Because each field receives only one treatment, we are not able to observe both  $Y^{\star}(0)$  and  $Y^{\star}(1)$  for any given field; instead, we only observe one potential outcome for each field.

For a given field, define the *unit-level treatment effect* as the simple difference  $Y^{\star}(1) - Y^{\star}(0)$  (Table 1). Of course, this treatment effect is never observable for any field. We define *population-level treatment effects* as averages, or expectations, of the unit-level treatment effects. We will examine two population-level treatment effects. The *average treatment effect* (ATE) is just the expectation of the unit-level treatment effects, that is,

ATE = 
$$E[Y^{\star}(1) - Y^{\star}(0)] = E[Y^{\star}(1)] - E[Y^{\star}(0)].$$
 (1)

In the context of cotton, we can think of the ATE as the expected difference in the average response if all fields were treated for early-season *Lygus*, vs. the average response if no fields were treated for early-season *Lygus*. In addition to the ATE, we can also define the population-level treatment effect for the subset of fields that actually were treated for early-season *Lygus*. This quantity is typically referred to as the *average treatment effect on the treated* (ATT), and is defined as

ATT = 
$$E[Y^{\star}(1) - Y^{\star}(0) | A = 1]$$
  
=  $E[Y^{\star}(1) | A = 1] - E[Y^{\star}(0) | A = 1].$  (2)

The ATT is a more appropriate measure of the causal effect than the ATE if it does not make sense to

| Experimental<br>unit (field)† | Treatment received |            | Potential outcomes  |                     |   |  |
|-------------------------------|--------------------|------------|---------------------|---------------------|---|--|
|                               |                    | Covariates | A = 1               | A = 0               | Unit-level causal effect                    | Population-level causal effects                |
| 1                             | $A_1$              | $X_1$      | $Y_1^{\bigstar}(1)$ | $Y_1^{\bigstar}(0)$ | $Y_{1}^{\bigstar}(1) - Y_{1}^{\bigstar}(0)$ |  |
| ÷                             | :                  |            |                     | :                   |   | $ATE = E[Y^{\bigstar}(1) - Y^{\bigstar}(0)]$   |
| i                             | $A_i$              | $X_i$      | $Y_i^{\bigstar}(1)$ | $Y_i^{\bigstar}(0)$ | $Y_i^{\bigstar}(1) - Y_i^{\bigstar}(0)$     |  |
| ÷                             | :                  | :          | :                   | :                   |   | $ATT = E[Y^{\star}(1) - Y^{\star}(0)   A = 1]$ |
| п                             | $A_n$              | $X_n$      | $Y_n^{\bigstar}(1)$ | $Y_n^{\bigstar}(0)$ | $Y_n^{\bigstar}(1) - Y_n^{\bigstar}(0)$     |  |

TABLE 1. The potential outcomes framework for causal inference. Table adapted from Rubin (2005).

Notes: ATE stands for average treatment effect; ATT stands for average treatment effect on the treated fields.

† "Field" refers to a single-year's planting on a physical parcel of land, not the land itself.

contemplate the potential outcomes under treatment A = 1 for untreated fields. Here, we argue that the ATT is the most appropriate estimator of the average causal effect of early-season *Lygus* treatment in cotton, because treating a cotton field with low *Lygus* densities bears questionable relevance toward estimating secondary pest outbreaks in fields with sufficient *Lygus* densities to merit insecticide treatment.

Before proceeding, we note that although  $Y^{\star}(1) - Y^{\star}(0)$  is the most commonly considered treatment effect, other treatment effects can be defined. For example, we could consider the treatment effect to be the proportional change  $Y^{\star}(1)/Y^{\star}(0)$ . One could also consider different population-level summaries of treatment effects, such as the median unit-level treatment effect, or the proportion of units for which  $Y^{\star}(1) > Y^{\star}(0)$ .

# Estimating treatment effects from data

We now discuss estimating population-level treatment effects with data. Although we are ultimately interested in estimating treatment effects with observational data, it is helpful to first discuss estimating the ATE in the context of randomized experiments.

All of the arguments below require a technical assumption that the outcome observed equals the potential outcome for the treatment received. That is, for a = 0, 1, if the unit received treatment A = a, then the observed outcome  $Y = Y^{\star}(a)$ . D. B. Rubin and colleagues call this the "stable-unit treatment value assumption" (SUTVA; Rubin 1980). The primary implication of SUTVA is that the outcome observed for any unit is not influenced by the treatment received by any other unit. In essence, SUTVA is an assumption of independence among the data.

In an experiment, randomized treatment assignment implies that the potential outcomes  $Y^{\star}(0)$  and  $Y^{\star}(1)$  are independent of A for each unit. This independence plus SUTVA implies that the difference between the means of the treated and untreated groups is an unbiased estimator of the ATE. To see this, let  $n_a$  be the number of units that received treatment A = a, and write the expectation of the difference between the treatmentgroup means as

$$E\left[\frac{1}{n_1}\sum_{i:A_i=1}Y_i - \frac{1}{n_0}\sum_{i:A_i=0}Y_i\right] = E[Y|A=1] - E[Y|A=0].$$
(3)

Now, it suffices to show that E[Y | A = a], the expected outcome of a unit that received treatment A = a, is equal to  $E[Y^{\star}(a)]$ , the expected potential outcome under A = a for all units. The proof proceeds as

$$E[Y|A = a] = E[Y^{\bigstar}(a)|A = a] = E[Y^{\bigstar}(a)]$$
(4)

where the first equality follows by SUTVA, and the second by independence of the potential outcomes and the treatment under randomized treatment assignment. Plugging Eq. 4 into Eq. 3 yields

$$E[Y | A = 1] - E[Y | A = 0] = E[Y^{\star}(1)] - E[Y^{\star}(0)]$$
  
= ATE.

In observational studies, treatment assignment is not random. Thus, the treatment assignment may not be independent of the potential outcomes, and thus the average response for fields that received treatment A = amay not be an unbiased estimate of the expected potential outcome under A = a across all fields. In particular, nonrandom treatment assignment introduces the possibility that confounding with one or more additional variables may produce spurious (i.e., noncausal) correlations between treatment and response. In cotton, such non-causal correlations may arise from (among other confounders) variation in PCAs' tendencies to recommend insecticide applications, and/or variation in the vigor of the cotton crop (more vigorous crops may attract arthropod herbivores of several species). This potential for spurious correlations between treatment A and response Y in observational data makes it impossible to assign a causal interpretation to the simple difference between treated and untreated fields.

How can we construct unbiased estimators of average treatment effects when the treatment assignment is not random? The key insight is this. Unbiased estimators of causal effects are obtainable if we measure a set of possible confounders, denoted  $\mathbf{X}$ , such that given knowledge of  $\mathbf{X}$ , the treatment assignment is independent of the potential outcomes. The assumption that A is conditionally independent of  $Y^{\star}(0)$  and  $Y^{\star}(1)$  given  $\mathbf{X}$  is

referred to as the "no unmeasured confounders" assumption, or (more awkwardly, but more accurately) the "unconfoundedness" assumption.

We present one method for estimating causal effects under unconfoundedness below. First, however, we discuss the unconfoundedness assumption. Ultimately, unconfoundedness is an assumption about the science of the process being studied. Validation of the unconfoundedness assumption solely via data is (to our knowledge) impossible. As such, the unconfoundedness assumption requires careful scrutiny and thorough knowledge of the system. Moreover, the unconfoundedness assumption could easily be controversial, as two reasonable scientists could reach different conclusions regarding whether a set of covariates fully removes confounding between treatment and potential outcomes (Imbens and Wooldridge, 2009). Nonetheless, as Imbens and Wooldridge (2009:23) state, "there are many cases where there is no clearly superior alternative [to the unconfoundedness assumption], and the only alternative is to abandon the attempt to get precise inferences." Pearl (1995, 2000; summarized in Jewell [2004]) discusses graphical methods for identifying confounders, and we use these methods below.

A host of methods have been developed for estimating causal effects under the assumptions of SUTVA and unconfoundedness (Imbens and Wooldridge, 2009), and it is beyond the scope of this article to review them all here. Here, we estimate causal treatment effects using regression. Let  $m_a(\mathbf{X}, \gamma_a)$  denote regression models for the observed outcome under A = a, that is,  $m_a(\mathbf{X}, \gamma_a) = E[Y | \mathbf{X}, A = a]$  where  $\gamma_a$  is a vector of parameters. The models  $m_a$  may be any type of regression, including a multiple regression, a generalized linear model, or a nonparametric regression.

To derive an unbiased estimator for ATE or ATT, it suffices to show that  $m_a(\mathbf{X}, \gamma_a)$  equals to the expected potential outcome  $Y^{\bigstar}(a)$  given **X**, that is,

$$m_a(\mathbf{X}, \gamma_a) = E[Y^{\bigstar}(a) \,|\, \mathbf{X}] \tag{5}$$

for a = 0, 1. The desired equality follows by

$$m_a(\mathbf{X}, \gamma_a) = E[Y | \mathbf{X}, A = a] = E[Y^{\bigstar}(a) | \mathbf{X}, A = a]$$
$$= E[Y^{\bigstar}(a) | \mathbf{X}]$$

where the first equality follows by definition, the second by SUTVA and the third by unconfoundedness. Taking expectations of Eq. 5 with respect to **X** yields  $E_X[m_a(\mathbf{X}, \gamma_a)] = E[Y^{\bigstar}(a)]$ .

Thus, to estimate causal treatment effects using regression, we build regression models  $m_0(\mathbf{X}, \gamma_0)$  and  $m_1(\mathbf{X}, \gamma_1)$  that regress the observed response Y on the confounders **X** using the data that received treatments A = 0 and A = 1, respectively. Then, an unbiased estimator for the ATE is

$$\widehat{\text{ATE}} = \frac{1}{n} \sum_{i=1}^{n} \{ m_1(\mathbf{X}_i, \hat{\gamma}_1) - m_0(\mathbf{X}_i, \hat{\gamma}_0) \}$$
(6)

and an unbiased estimator for the ATT is

$$\widehat{\text{ATT}} = \frac{1}{n_1} \sum_{i:A_i=1} \{ m_1(\mathbf{X}_i, \hat{\gamma}_1) - m_0(\mathbf{X}_i, \hat{\gamma}_0) \}.$$
(7)

The estimators above are not identical to the naive estimate that one would obtain by regressing Y on X and A, and then extracting the partial regression coefficient associated with A. In general, such a partial regression coefficient does not permit a causal interpretation. Standard errors for  $\overrightarrow{ATE}$  and  $\overrightarrow{ATT}$  can be approximated with a nonparametric bootstrap.

Before moving on, we note that each term in the summations of Eqs. 6 and 7 is a difference between a fitted value from one regression model and a prediction from a different regression. For example, if  $A_i = 1$ , then  $m_1(\mathbf{X}_i, \hat{\gamma}_1)$  is a fitted value and  $m_0(\mathbf{X}_i, \hat{\gamma}_0)$  is a prediction. Hence, standard cautions apply regarding predictions with regression models. In particular, regression predictions are only trustworthy for confounder values that lie within the support of the fitted regression model. Thus, the causal-effect estimators above are only reliable to the extent that the A = 0 and A = 1 treatment groups have comparable distributions of confounders, or that we are willing to extrapolate the fitted regression models to values of the confounders beyond the support of the fitted models. This makes intuitive sense: if there is a confounder with values that do not overlap for the A = 1and A = 0 groups, then separating the effect of the treatment from the confounder is impossible. Imbens and Wooldridge (2009) have also noted that, in treatment vs. control studies, it is common for the confounder values for the untreated or control (A = 0)group to span a broader range than the confounder values for the treated (A = 1) group. When this occurs (as it does to some extent for our data), then predicting  $Y^{\star}(0)$  for treated units requires less extrapolation than predicting  $Y^{\star}(1)$  for untreated units. Hence, because only  $\widehat{ATE}$  requires predicting  $Y^{\star}(1)$  for untreated units, the ATT can be estimated more robustly than the ATE.

## ANALYSIS OF SECONDARY PEST OUTBREAKS

## Identification of confounders

We identified confounders using the causal-graph methodology developed by Pearl (1995, 2000) and summarized in Jewell (2004) (see Plowright et al. (2008) for another ecological example). A causal graph consists of a network of putative cause-and-effect relationships between variables. Once a causal graph has been suggested, a set of covariates can be identified that, once controlled for, remove the confounding between the cause and effect variables of interest. (A full discussion of how causal graphs can be used to identify confounders is beyond the scope of this article. In brief, confounding arises via "unblocked backdoor paths" that connect the putative cause and effect variables. A complete set of confounders is any set that



FIG. 1. A causal graph for the *Lygus*-cotton system. Each arrow is a "directed edge" that represents a putative cause-and-effect relationship between variables. Nodes in boxes are the putative treatment (early-season insecticide applications for *Lygus*) and response (late-season insecticide applications for secondary pests) variables. Nodes in ovals form a set of confounders for the causal relationship between treatment and response. "PCA" stands for pest-control advisor; "Ranch" represents the ranches in which cotton fields were operated; "square" refers to cotton flower buds.

eliminates all unblocked backdoor paths.) Our causal graph appears in Fig. 1.

The causal graph in Fig. 1 embodies the assumptions on which our analysis rests, and so we justify those assumptions here. Both year and cotton type (Acala vs. Pima) are assumed to affect densities of all pests throughout the growing season. (In Fig. 1, year and cotton type are separate nodes, but we combine them because they are topologically equivalent. PCA and ranch are combined for the same reason.) Early-season Lygus densities affect early-season Lygus-insecticide applications, both of which in turn affect late-season Lygus densities. The same is true for non-Lygus pests. Neighboring source crops for Lygus such as safflower affect both early-season Lygus feeding also triggers the shedding of cotton squares, which is incorporated into the PCA's treatment decisions and is exacerbated by whether the previous year's crop was fertilized with phosphorous.

For several reasons, both early and late-season insecticide application for *Lygus* may be likely to increase the chance of early and late-season pesticide application for non-*Lygus* pests, and vice versa. This may be because, first, the cost of applying several pesticides simultaneously as part of a "tank mix" is less than the cost of applying the same pesticides separately. Second, early-season application of broad-spectrum pesticides for *Lygus* may decrease the abundance of natural enemies, or enhance the vigor of cotton plants (White 1984), both of which may in turn impact the densities of non-*Lygus* pests. Finally, both PCAs and farmers may be more or less aggressive in their management styles.

We reiterate that our causal graph in Fig. 1 is a hypothesis, and the causal relationships that it embodies are open to debate. It is our best working hypothesis, however, and it is the hypothesis on which our analysis below rests. Using the causal graph in Fig. 1, a set of six covariates can be identified that confound the relationship between early-season insecticide application for Lygus and late-season pesticide application for secondary pests. These confounders are year, cotton type, early-season Lygus density, early-season pesticide treatments for non-Lygus pests, PCA, and ranch. In addition to these six covariates, we also include a PCA  $\times$  year interaction, because there is evidence that the PCAs' management strategies changed across the years. Importantly, this set of confounders is identical regardless of the particular mechanism that drives secondary pest outbreaks (e.g., reduction in natural enemies, changes in cotton physiology, or reduced competition).

## Data preparation

We calculated early-season Lygus density as the average number of Lygus individuals collected in a standard sweep-net sample, averaged across all sampling occasions prior to 1 July or the first insecticide application for Lygus, whichever came first. We excluded data from ranches with  $\leq 3$  early-season Lygus applications, or from PCA  $\times$  year combinations with 0 or 1 early-season Lygus applications, as in our judgment these ranches or PCA × year combinations did not have sufficient data to estimate regression parameters reliably. Cotton type was occasionally not recorded, and so we allowed three levels of the categorical variable for cotton type: Acala (56%), Pima (33%) and unknown (11%). We did not include fields planted in hybrid (Pima × Acala) cotton (<0.5%). All told, we used n = 969unique fields for our regression modeling, spanning 11 ranches and 9 years. These fields ranged in size from 2.1 to 593.0 acres (0.8-240.0 ha), with a median size of 76.0  $\pm$  2.7 acres (approximate SE; 30.8  $\pm$  1.1 ha). Of these fields,  $n_1 = 217$  received early-season insecticide application for Lygus.

#### Regression modeling

We used Poisson regression models because our response variable was a count. We did not add or remove confounders from  $\mathbf{X}$  based on their statistical significance, because our choice of variables to include in  $\mathbf{X}$  is based on our hypothesized causal graph. Indeed, variable selection in regression models for causal inference is an area of active research (Imbens and Wooldridge 2009).

We estimated the statistical uncertainty in our estimated treatment effects by a nonparametric bootstrap with 500 bootstrap data sets. To avoid bootstrap data sets with ranches or PCA  $\times$  year combinations with too few instances of treated or untreated fields, we used a conditional resampling scheme, in which records were resampled within each ranch-year-treatment combination. Consequently, bootstrap inferences pertain only to these specific ranches and years. Moreover, the bootstrap relies on the assumption that late-season, non-*Lygus* pesticide applications are conditionally independent across fields within each ranch and year, given treatment and covariates. To evaluate this assumption quantitatively, we estimated the correlation among residuals for fields from the same ranch and year, using a Pearson correlation coefficient and deviance residuals from the Poisson regressions.

We also analyzed late-season pesticide applications for three of the most common non-*Lygus* pests: aphids, mites, and armyworms. In each case, we only used data from ranches and PCA  $\times$  year combinations in which at least one late-season pesticide application for the particular secondary pest was recorded for both possible early-season *Lygus* treatments. We used a subset of 805, 666, and 453 records for our aphid, mite and armyworm analyses, respectively.

Throughout, all monetary values and their SEs are rounded to the nearest tenth of a dollar.

# RESULTS

Table 2 summarizes the estimated causal effects of early-season insecticide application for *Lygus*. Fields that were treated for early-season *Lygus* (A = 1) received an average of 2.25 (SE = 0.13) late-season pesticide treatments for non-*Lygus* pests, incurring an average cost of US\$29.60 ± \$1.90 per acre (mean ± SE) (US\$73.10 ± \$4.70/ha). We estimate that, had those same fields not been treated for early-season *Lygus*, they would have required  $\widehat{ATT} = 0.45$  (= 20.2%) fewer lateseason non-*Lygus* pesticide applications (bootstrap SE = 0.10; 95% bootstrap CI = (0.23, 0.64); one-tailed bootstrap P < 0.002). We estimate the cost of these late-season pesticide applications caused by early-season treatment for *Lygus* at US\$6.00 per acre (SE = \$1.30 per acre; 20.2% of the total cost) (US\$14.80 ± \$3.20/ha).

Across all fields, the estimated average treatment effect (ATE) is negligible (= 0.00; bootstrap SE = 0.11; 95% bootstrap CI = (-0.21, +0.22)). The ATE is less than the ATT because the estimated causal effect of early-season *Lygus* treatment for untreated fields is negative (-0.14). That is, if untreated fields had been treated, we estimate that they would have required fewer late-season secondary pesticide applications. Although the estimated causal effects for treated and untreated fields are not equal in magnitude, the two effects cancel out in the population-level ATE because only one-quarter of the fields in our data set were treated for early-season *Lygus*.

Aphids, mites, and armyworms comprised the preponderance (91%) of non-*Lygus* targets for late-season pesticides. Species-level analyses suggest that, in treated fields, early-season treatment for *Lygus* increased the number of late-season pesticide applications for aphids, mites, and armyworms by 0.28 (bootstrap SE = 0.06), 0.09 (bootstrap SE = 0.11), and 0.09 (bootstrap SE =

| Variable   | Treated fields $(A = 1)$  | All fields  |
|--|---|---|
| No. late-season applications†<br>Estimated causal effect<br>Estimated causal effect, percentage basis<br>Average total cost in US\$‡ | $\begin{array}{c} 2.25 \ (0.13) \\ \text{ATT} = +0.45 \ (0.10) \\ 20.2\% \ (4.5\%) \end{array}$ | $\begin{array}{c} 2.05 \ (0.07) \\ \text{ATE} = -0.00 \ (0.11) \\ -0.2\% \ (5.4\%) \end{array}$ |
| Per acre<br>Per hectare  | \$29.60 (\$1.90)<br>\$73.10 (\$4.70)  | \$27.20 (\$0.90)<br>\$67.20 (\$3.70)  |
| Estimated causal effect, cost basis<br>Per acre<br>Per hectare   | \$6.00 (\$1.30)<br>\$14.80 (\$3.20)   | -\$0.10 (\$1.50)<br>-\$0.20 (\$3.70)  |

TABLE 2. Estimated effects of early-season, broad-spectrum insecticide application for *Lygus* on late-season pesticide applications for non-*Lygus* pests.

*Note:* There were a total of n = 969 fields of which  $n_1 = 217$  were treated fields. SEs are in parentheses.

<sup>†</sup> Average total number of pesticide applications per year for arthropod pests other than *Lygus* on or after 1 July.

‡ Average total cost of pesticide applications for arthropod pests other than *Lygus* on or after 1 July.

0.04), respectively (Table 3). (With Poisson regression, estimated treatment effects for individual species do not necessarily add together to equal the total treatment effect.) Considering the statistical precision of these estimates, the estimated treatment effects are roughly proportional to the relative frequencies with which each species occurred as a late-season target across all fields.

Estimated causal effects can be visualized by plotting predicted outcomes with and without early-season Lygus treatment (Fig. 2). This plot suggests that the effect of early-season Lygus insecticide is not uniform, but depends subtly on the expected number of lateseason secondary-pest treatments. Early-season Lygus treatment appears to have the largest effect on secondary pest outbreaks when the expected number of late-season secondary pest treatments is small (1-4), but has a smaller (and possibly reversed) effect when the expected number of late-season secondary pest treatments is large (>6). The banding in Fig. 2 occurs because categorical predictors (ranch, PCA, year, and cotton type) were the dominant predictors in regression model  $m_0$ , while average early-season Lygus density explained more of the variation in the response in model  $m_1$ . Although the regression models  $m_0$  and  $m_1$  are not the focus of our analysis, we provide summaries of these models in Appendix B. Analysis of deviance residuals from Poisson regressions suggested a mild but statistically significant correlation among fields from the same ranch and year (common Pearson's correlation coefficient = 0.17, P < .001). Neither model  $m_0$  nor  $m_1$  suggested overdispersion relative to a Poisson distribution.

#### DISCUSSION

Using ATT as the most relevant measure of causal effects, this analysis suggests that, for the cotton fields in this study, an early-season, broad-spectrum insecticide treatment for *Lygus* elicited secondary pest outbreaks that were responsible for 20% of late-season non-*Lygus* pesticide applications. Late-season pesticide applications to manage secondary pest outbreaks cost US\$6.00 per acre (US\$14.80/ha), on average. To the extent that we can determine, secondary outbreaks of aphids, mites, and armyworms occurred in roughly similar proportion to the overall frequencies with which each species appeared as a late-season pest.

We consider ATT to be a better measure of the causal effect of early-season insecticide treatment for *Lygus* than ATE. The ATT is an estimate of the causal effect of early-season *Lygus* treatment in fields that were actually treated. The ATE is an estimate of the overall causal effect if all fields had been treated for *Lygus* regardless of early-season conditions. Although the ATE is still informative, the ATT is a more relevant measure of

TABLE 3. Pesticide applications for non-Lygus pests on or after 1 July, by species.

|                                 | Treated fie  | $\operatorname{lds}\left(A=1\right)$   | All fields  |  |
|---------------------------------|--|--|---|--|
| Pests                           | ATT (SE)   | Total (SE)   | ATE (SE)  | Total (SE)   |
| Aphids†<br>Mites‡<br>Armyworms§ | $\begin{array}{c} 0.28 \ (0.06) \\ 0.09 \ (0.11) \\ 0.09 \ (0.04) \end{array}$ | $\begin{array}{c} 1.14 \ (0.07) \\ 0.45 \ (0.05) \\ 0.45 \ (0.05) \end{array}$ | $\begin{array}{c} 0.00 \ (0.06) \\ 0.04 \ (0.06) \\ -0.10 \ (0.07) \end{array}$ | $\begin{array}{c} 1.00 \ (0.03) \\ 0.40 \ (0.02) \\ 0.40 \ (0.03) \end{array}$ |

*Note:* ATE stands for average treatment effect; ATT stands for average treatment effect on the treated fields.

<sup>†</sup> ATT and ATE calculated for a subset of n = 805 data records.

‡ ATT and ATE calculated for a subset of n = 666 data records.

§ ATT and ATE calculated for a subset of n = 453 data records.



FIG. 2. Fitted or predicted number of late-season pesticide applications for secondary pests with early-season insecticide treatment for Lygus (A = 1) vs. without early-season insecticide treatment for Lygus (A = 0), where A denotes the treatment. (A) Fields that were treated for early-season Lygus (A = 1); (B) all fields. Diagonals are lines of equality.

secondary pest outbreaks elicited by early-season *Lygus* treatment under current management practices.

The difference between the estimated causal effects in treated and untreated fields might be explained by observing that the overall effect of an early-season broad-spectrum insecticide on secondary pests combines the direct suppressive effect of mortality from the pesticide with indirect, disruptive effects that promote secondary pest outbreaks (e.g., reduced abundances of natural enemies). We speculate that the indirect, disruptive effects exceeded the direct suppressive effects in fields that were treated for early-season Lygus, while the reverse would have been true (though to a lesser degree) in fields that were not treated for early-season Lygus. Although we don't know with certainty why this may be so, we observe that the predicted number of lateseason non-Lygus pesticide applications in treated fields, if those fields had not been treated (2.25 - 0.45 = 1.80), was less than the actual number of late-season non-Lygus pesticide applications in untreated fields (1.99 treatments). This difference may indicate that, prior to the application of an early-season insecticide, natural enemies were contributing more to pest suppression in fields that were ultimately treated.

Several possible (and nonexclusive) mechanisms may drive secondary pest outbreaks, and this analysis does not discriminate among them. However, to the extent that the secondary pest outbreaks observed are caused by the disruptive effects of killing arthropod predators and parasitoids, the dollar value of the cost of pesticide applications required to curb secondary pest outbreaks sets a lower bound on the ecosystem services provided by native communities of natural enemies in this system. A full accounting of the value of the ecosystem services provided by native natural enemies would require (at the least) measuring the cost of all pest outbreaks under the hypothetical scenario in which natural enemies were permanently absent. Such an accounting is beyond the scope of this analysis. Nevertheless, this lower bound may inform ongoing efforts to valuate ecosystem services in agriculture (Costanza et al. 1997, Zhang et al. 2007).

Without doubt, our analysis rests on a host of assumptions. The chief assumption is that the decision of whether or not to treat fields for early-season Lygus is conditionally independent of the potential outcomes (the number of late-season secondary pesticide applications), given the confounding variables in the regression models. We argue that this is a viable assumption, especially because our confounder data document the conditions (including Lygus densities) that were used to determine pesticide treatments. Nonetheless, if there are unmeasured confounders that are correlated with both the early and late-season pesticide recommendations, then those confounders would render this analysis suspect.

Careful consideration must also be given to the extent to which the hierarchical structure of these data compromise the assumption of conditional independence among fields. Although the data consist of n = 969fields (or, more accurately, field-years), these fields are nested within 11 ranches, and the ranches are in turn nested within four PCAs. Thus, it is reasonable to ask whether or not the statistical precision of the analysis is exaggerated by considering the fields as conditionally independent given treatment and covariates. An analysis of residuals from our regression models suggest that fields from the same ranch and year are indeed positively correlated, albeit mildly (+0.17). One likely explanation for this correlation is that population dynamics of arthropod communities could have a spatial aspect that exceeds the scale of a single field. For example, mowing an alfalfa field could trigger Lygus migrations into several nearby cotton fields. This may be particularly true for smaller cotton fields that have a greater edge-toarea ratio and are less buffered against arthropod dispersal. Thus, these data contain less information than 969 truly independent fields, and the statistical uncertainty in our estimates is slightly greater than the bootstrap calculations suggest. Conceivably, one could design a bootstrap procedure that accounts for this spatial correlation (e.g., Zhu and Morgan 2004), although doing so in conjunction with the conditional resampling already required would be challenging.

Our present analysis is not intended as a management recommendation for cotton farmers. Integrated pest management in cotton must consider a host of additional factors, not the least of which is the yield of the cotton crop. Instead, the goal of this analysis is to quantify an ecological phenomenon that is difficult to document experimentally.

The statistical methods for causal inference used here are, to our knowledge, not yet broadly known or used in the natural sciences. On the one hand, the theory underlying causal-inference methods has been rigorously developed, and the methods enjoy growing use in some realms of science (Rosenbaum 2002, Rubin 2005, Imbens and Wooldridge 2009, Gangl 2010). On the other hand, these methods have not withstood the test of time to the same extent as more conventional statistical approaches, and thus some healthy skepticism is warranted. However, causal-inference methods may promise new analytical possibilities for some types of ecological and/or agricultural studies, and their usefulness deserves to be investigated.

In our view, there are two primary challenges to using causal-inference methods in ecology. First, these methods require enough data to support defensible statistical models for all of the possible treatments that one wishes to consider. As such, causal-inference methods will be most useful in ecoinformatics settings, where considerable volumes of data can be gathered. Because these data should span a breadth of treatments or management strategies, the most promising settings will be ones in which decision-makers have attempted a diversity of approaches. Second, the "unconfoundedness" assumption requires that data are available for covariates that confound treatment with response. While it is difficult to speculate broadly about the types of problems for which these data may exist, we suspect that appropriate data are more likely to be available in management settings such as IPM or natural resource management, where managers may document conditions that influenced management decisions.

As a final, technical note, we observe that for this analysis, the implementation of causal-inference methods was complicated by the prevalence of categorical variables (e.g., ranch, PCA, year, cotton type) in our set of confounders. As we mention above, when using regression models to quantify causal effects the distributions of the confounders need to be sufficiently comparable among treatment groups. This comparability is more challenging with categorical confounders because categorical confounders increase the dimensionality of the confounder space. To the extent that categorical confounders may be more common in the natural sciences than in econometrics or public health, high-dimensional confounder spaces may open a technical challenge in causal-inference theory that is ripe for new progress.

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# APPENDIX A

A detailed description of the methods used to calculate the cost of pesticide applications (Ecological Archives A021-124-A1).

# APPENDIX B

A table of residual deviances of predictors for Poisson regression models (Ecological Archives A021-124-A2).